## ROMANIAN MATHEMATICAL MAGAZINE

J. 2471 In $\triangle A B C$ the following relationship holds

$$
\frac{m_{a}}{h_{a}} b c+\frac{m_{b}}{h_{b}} c a+\frac{m_{c}}{h_{c}} a b \geq 4 \sqrt{3} F
$$

Proposed by D.M. Bătinețu-Giurgiu, Cătălina Stan - Romania

## Solution by Titu Zvonaru-Romania

Since $m_{a} \geq h_{a}$, using Gordon's inequality $b c+c a+a b \geq 4 \sqrt{3} F$ we obtain:

$$
\frac{m_{a}}{h_{a}} b c+\frac{m_{b}}{h_{b}} c a+\frac{m_{c}}{h_{c}} a b \geq a b+b c+c a \geq 4 \sqrt{3} F .
$$

Equality holds if and only if $\triangle A B C$ is equilateral.

